

Abstract

This pap er describ es how mutation rate effects the performance and speed of a genetic algorithm (GA) converging on a solution. A Genetic algorithm is an alternativ e to conventional metho ds such as brute force and greedy algorithms. The genetic algorithm is applied to a rob otic chassis which learns to walk using the same genot ype to start with and different mutation rates for each experiment. It is found that 20% was the optimal mutation rate. When mutation rate is a high percen tage the algorithm makes more mistak es and when mutation rate is to o low the algorithm does not mak e the needed changes in time to find an optimal solution.

1 Intro duction

Genetic algorithms (GA) allow systems to adapt randomly to find solutions. This minimizes the time that the developer needs to spend creat ing a solution . Some tasks are too complicated or time consuming for a developer to code a solution. Tasks such as walking require balance and correct movement all in concurrence with one another. Using a GA is a known approac h to satisfying a solution while considering both constrain ts. An issue arises where these solutions have an enormous search space and can be impractical for solving a solution quickly [4]. Researc h on bip edal genetic algorithms typically tak es more generations to arriv e at a candidate solution the more motors there are. [2] In this pap er, we will explore how the mutation rate affects the performance of a genetic algorithm, carr y out researc h using a number of mutation rates, and conclude the optimal rate to arriv e at a solution quickly.

This is an interesting topic due to the significant part physical robots will one day have in society. We think very litt le ab out the complex movements we perform everyda y. Being able to master optimization for rob otic s will help get

to this stage. In this experiment we will see how key to the performance of an algorithm mutati on rate is.

1.1 Problem Statemen t

The aim of the experiment is to drive a chassis of 4 micro servos to optimize a metho d of tra vel. This is a simple low cost chassis which will allow more focus on the GA than on the hardw are. Each servo can turn from 0 to 180 degrees. It is the job of the algorithm to mutate movement at a number of rates to find the optim um.

1.2 Previous work

A number of authors within genetic algorith ms and rob otics have been involving neural networks and deep learning [4] [3]. It was found that neur al networks being appli ed with genetic algorithms was impractical due to the large search space. The experiment found the staged evolution metho d significantly improved the convergence to a solution.

We will be using a similar metho d of encoding motor patterns into a rob ot [4], however without the use of a neural network.

There has been self-organizing systems created in the past which use positiv e and negativ e feedback to optimize a rob ots walk [5]. The pap er by Maes to ok a more constructivist approac h than the GA selectionist approac h. This metho d used less memory due to the way it built up information rather than selected out. This exp erimen t tested the algorithm on a simpler physical model which used 6 legs. There was less focus on the need to balance compared to more humanoid chassis. It is the hypothesis of this experiment that GA will work as a general approac h which will always give us a sub-optimal solution at minimum and that the mutation rate will decide how quickly the program converges.

2 Apparatus

The chassis chosen, named Bob, uses 4 Tower Pro SG90 micro servos [6]. Each servo has an operating voltage of 3 to 7.2 Volts and operating curren t of 220Ma. In a worst case scenario that all servos are running, the battery must provide a curren t of 880ma.

$$
4 * 220 = 880ma \tag{1}
$$

This can be provided with 4 AAA batteri es which provide 1000ma, and in a series circuit configuration we have up to 6V.

For a controller we use the Adafruit Feather m0 [1] which is a CircuitPython running device with limited memory. This memory holds up to around 250 lines of code (including libraries). The controller will be wired to a servo controller and HC-SR04 ultrasonic range finder (distance sensor).

Figure 1: Bob the bip ed chassis

3 Application of GA

The genetic algorithm will encode a series of motor instructions written as angles. There will be a set number of steps that a rob ot can tak e to perform the action of taking a step. This will be presen ted as a 2-Dimensional arra y. This will be known as the genot ype. At each iteration a mutation function will be applied to the genotype, the genot ype will be performed and the fitness is calculated. This will performed a set number of times, which we call generations.

Each angle will be chosen randomly from an arra y containing integers consisting of man y zeros, a 30 and -30. These represen t the degree of movement from the curren t angle. We want the ma jorit y of motors to have no movement but give chance for movement in any direction. We chose 30 degrees as it gives enough rotation to make a difference, but not to o much th at it has a dramatic effect. This was a personal choice.

There are two algorithms that will be app lied to the rob ot, a hill climber and a microbial GA. Diversity of algorithms will give more rigorous results.

Results will be displa yed showing mutation rates 10 to 80 percent. We will explore each of the results and data surrounding it such as average fitness.

A metho d of changing the mutation rate to sample fitnesses will be used outside the algorithms.

Algorithm 1 Hill Climber

```
Require: F LO AT mutationr ate
Ensure: f itnestg ene
  genoty pe ← gener ateGene ()
  best \leftarrow 0for i = 0to 15 do
     currentg ene \leftarrow mutate (genoty pe, M rate = rate)
    f it \leftarrow f itness (currentg ene)
     if f it > best then
       f it \leftarrow best
       genoty pe ← currentg ene
     end if
  end for
  return genoty pe
```
Algorithm 2 Microbial GA

```
Require: F LO AT mutationr ate, I N T n
  genoty peP op \leftarrow gener ateGeneP op()
  best \leftarrow 0for i = 0to15 do
     n1 \leftarrow random(n)n2 \leftarrow random(n)currentg ene 1 \leftarrow genoty peP op[n1]
     curr rentg ene 2 \leftarrow genoty peP op[n2]
     currentg ene 1 \leftarrow mutate (current gene 1, M rate = rate)
     currentg ene 2 \leftarrow mutate (current gene 2, M rate = rate)
     currentg ene 1, currentg ene 2 \leftarrow tour rament (currentg ene 1, currentg ene 2)
     genoty peP op[n1] ← currentg ene 1
     genoty peP op[n2] \leftarrow currentg ene 2
  end for
```
3.1 Fitness

The aim of the rob ot is to walk as far as possible within the limited sequence space, by using a distance sensor. Fitness will be measured in millimeters, rather than percentage. These millimeters represen t how far the rob ot got when stepping out.

f *itness* = *initial* D *istance* $e - \text{currentD}$ *istance* (2)

Any fitness below 4 will be classed as 0 as the rob ot may have tilted to face the ground. This is not an optimal solution. This does mean the rob ot must have a reasonable distance between itself and the wall. For this experiment we will give it 1 meter.

Algorithm 3 Calculate Fitness

Require: IN T star tD istance, IN T endD istance
Ensure: fitnessinmm
gained \leftarrow star tD is tance – endD istance 1
if gained $>$ 4 then
return gained
end if
return

The above pseudo-co de shows the fitness where the algorithm is penalized for being to o close or further away.

3.2 Mutation

Mutation is defined with in the algorithm as a percentage chance that each gene (motor angle positions) will be mutated. If it is to be mutated a random position will be chosen, and this position will be changed to another value picked from our selection of poten tial angles, specified at the beginning of this section.

```
Algorithm 4 Mutate
```

```
Require: Listg enoty pe, f loatr ate , listpossibl eM oves
Ensure: Listmutatedg enoty pe
  for i = 0togenoty pe.siz e do
    if random percentag e() < rate then
       step \leftarrow genoty pe[i]step [random p osition ()] ← possibl eM oves [random p osition ()]
       genoty pe[1] \leftarrow stepend if
  end for
  return genoty pe
```
3.3 Implemen tation

There are two loops, one represen ting an increasing mutation rate and another for the generations. Each task starts off with the same genot ype in order to fairly compare the changes made through mutation. This prev ents a randomly generated genot ype being closer to a walking algorithm than what was generated for another exp erimen t. Each will have a starting fitness of 0 before the generation begins. We will gather from mutation rates between (inclusiv e) 10% and 80%. There will be 15 generations to generate a walking pattern. This small number is appropriate as there is a limited search space and it is applied to all exp erimen ts. When implemen ting the microbial GA the population size could not exceed 3 due to memory issues. As the population size was larger than two the algorithm could run, as it differed from a hill climber.

A few changes were made to the existing functions from the hill climber, in the microbial algorithm for memory. This did not effect the end solution as the functions still performed the same tasks .

At the end of the experiment, significant mutation rates will be selected and ran again multiple times to calculate averages. This will be to determined how effective a mutation rate is and remove fluke values. By the end, three exp erimen ts will be run on each selected value.

4 Results

Figure 2: Generation versus Fitness of Hill Climber

Plotting each fitness of all generations for every percentage didn't show any obvious trends. There is a larger grouping of low fitnesses mainly for rates 30%, 40%, 70% and 80%.

Figure 3: Generation versus Fitness of Hill Climber. Blue points show the microbial points and red shows the hill climber

Figure 3.2 shows the same format of data for the microbial GA. It shows similar information where the ma jorit y of higher mutat ion rates performed lower throughout. With 40%, 70% and 20% showing high fitness at the end.

Figure 4: Average fitness of each percentage mutation rate

By compressing figure 4 into the average fitness for each generation, we see 20% is considerably higher compar ed to the next top fitness. The hill climber out performed the microbial in this test case. 20% was still on the high end of the microbial fitness.

Figure 5: Lowest generation with solution for each mutation rate

The plots of the percentages of mutation rate against the earliest generation of the top solution (mainly sub-optimal) found within each experiment shows how quickly a solution was found. The average generation of finding a solution was generation 9 for the hill climber. The microbial average generation of solution was 7. Only one experiment did not find a solution.

Figure 6: Number of chan ges of best fitness made for each mutation rate

We plot the number of changes made, where the current fitness is better than the held fitness.

Figure 7: Maximum and minimum fitness of each percentage mutation rate

Finally, we see that every experiment fell over or walked backwards at least once. Th is is how fitness of 0mm is measured.

After analyzing the results, 20, 40 and 70 % mutation rates were selected to run further exp erimen ts per mutation rate.

Figure 8: Fitness vs mutations of 3 trials for each significant mutation rate using the Microbial algorith m

Each colour represen ts the same mutation rate, but a different trial. It is clear to see 0.2 as the higher rate.

Figure 9: Fitness vs mutations of 3 trials for each significant mutation rate using the Hill climber

Figure 10: Fitness vs mutations of 3 trial s as averages over the 3 trial s Figure 10 helps distinguish fluke values and trials within our experiment.

5 Discussion

The results show the optimal mutati on rate for the problem of the 4 joint walking optimization. This was a mutation rate of 20%. The results show th at a mutation rate of 10% to ok a long time to reach a solution within the hill climber and found a low fitness solution in the microbi al, most likely due to the fact that little would change in the genot ype at each iteration. The average fitness was relativ ely low in comparison to other results.

With a higher mutation rate the rob ot would fall over at a higher rate. When using the hill climber it would fail to correct this in the next iteration at a higher mutation rate. We can see in Figure 2 a large number of generations which fails to gain a high fitness. In Figure 3 we see a steady low fitness. Due to the large amoun ts of change resulting from a higher mutation rate, it is harder for the algorithm to work out what caused the low fitness and what didn't. This suggests a lower mutation rate is more accurate in locating error.

There was no trend within the number of changes in Figure 6. This is likely due to the random nature of genetic algorithms. It seems the average change was from 2 to 3 changes.

Although in Figure 5 many of the higher mutation rates converge to a solution quicker, we see that the average fitness for the resp ectiv e rate s displa yed in Figure 4 are low.

In Figure 7 the fitn ess is much higher for a 20% rate than the other mutati on rates of its algorithm. This is unlikely as a result of the mutation function. 20% microbial mutation rate out performed the hill climber results.

After experimenting with 3 trials on each mutation rate, we see that 20% out-p erforms the other chosen rates (see Figure 8). This backs up what has previously been discusse d within this section.

5.1 Future work

The controller board used in the pro ject had limited memory. This held back how in depth the algorithms could go, as well as number of steps and population size. For furth er development in this project one would need a controller with a larger capacity for longer arra ys. This would likely a Raspb erry Pi for its Python capabilities.

6 Conclusion

To conclude there is an optim um mutation rate for a genetic algorithm. For the task of moving a 4 joint chassis, the optim um was 20%. At 20% the algorithm converged on average in fewer generations compared to other mutation rates and adapted better to lower fitness than higher mutation rates.

We have demonstrated that the use of a 20% mutation rate is best for a genetic algorithm for th e task of walking. If the mutation rate is to o high, the algorithm will find it harder to find which mutations were supp ortiv e to the task

and which were not, increasing the probability of mistake. If the mutation rate is to o low, then not enough mutations will tak e place for the algorithm to reach a optimal or sub-optimal solution in a small number of generations.

20% worked better for both the Microbial and Hill Climber algorithms. This was found to be the case in a series of rep eated trials. Advancing this model so that fitness can be tak en via a series of sensor metho ds and a larger population size of genot ypes will greatly impro ve this exp erimen t. This would be the sub ject of future work.

References

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7 App endix

Hill Climber

```
from a da fruit servokit import ServoKit
from board import D9, D6from random import randint, choice, random
from time import sleep
from a dafruit_hcsr04 import HCSR04
s onar = HCSR04 (trigger pin=D9, echo pin=D6)
kit = ServoKit (channel s = 8)
# s e t up mot or s and g e n o t y pe
mo t o r St a r t =[ 90 , 100 , 140 , 110 ] # s t ar t angl e s
Mg e not y p e = [ [ c hoi c e ( [0, 30, -30, 0, 0]) f or x in range (4)] f or i in
                                         r a nge ( 10 ) ] # n s t e ps as max
di s t No = 0de f ge t Di s t ( ) : # ge t t he di s t ane r e adi ng
```

```
di s t = None
    while di st ==None: #get numeric value
        try:
             di st = sonar . di st ance
        except RuntimeError: #do not return error
             pass
    return int (dist)
def move (angles):
    for i, ang in enumerate (angles): #move the servos by the given
                                         angleesif kit. servo[i]. angle+ang>=0 and kit. servo[i]. angle+ang <=
                                              180: #validate the change
                                              i s in range
             kit.servo[i].angle+=ang #set each servo to change
             sleep(0, 2) #prevent over current draw
    sleep(1) #give time to rest
def st(angles): #move all servors to the given angles
    for i, ang in enumerate (angles):
        kit. servo[i]. angle=ang #set servo angle
def mutate (geno, rate=0.2): #mutate the genotype with the given rate
    for i in range (len(geno)):
        if random() < rate: \#if rate% chance
             pos = geno[i]n2 = r andint (0, 1 en(pos) - 1) # mut at e again
             c = [0, 30, -30, 0, 0]c. r e move (pos[n2])
             pos[n2]=choice(c) #unique
             geno[i] = pos.copy()return geno #return mutated
print("start")for z in range(10): #loop through the sample size of rates (10%, 20
                                     \% \ldots, N\%st (mot or St art)
    1 as t Fi t ness = 0
    store=\lceil]
    genot ype=Mgenot ype. copy() #copy over the main genot ype to give
                                         a fair experiment
    for i in range (15): #total of 15 generations
        sleep(1) #time to reset if fallen over
        di st No=get Di st () #st art di st
        print ("Generation", i+1)
        current Geno=mut at e(genot ype.copy(), rat e=((z+1)/10)) #mut at e
                                               via rate defined by z
        for j, step in enumerate (current Geno): #move motors by each
                                              position specified in
                                              genot ype
             move (step)cd = get \overrightarrow{Di} st() #get the new distance
        f i t = di st No - cdprint (cd, di st No)if cd<=distNo and cd>10: #fitness function not written as
                                             function to conserve
                                              me mo r y
```

```
print (fit)i f f i t >l a s t Fi t n e s s : # i f f i t ne s s i s be t t e r
                print ("fitter")
                genot ype = current Geno. copy() #set the fitter
                                                               ge not y pe
                l a s t Fi t n e s s =f i t # s t or e t he be s t f i t ne s s
     e l s e :
           f i t =0s t or e . a ppe nd ( f i t ) # s t or e t he f i t ne s s of e ac h r ound
     st (motor Start) # reset to start position to fairly test the
                                                    ne x t g e n e r a t i o n
     sl e e p(1)pr i nt ( j , s t or e ) # s how c ons ol e what i s goi ng on
```
microbial

```
from a da fruit_servokit import ServoKit
from board import D9, D6
from random import randint, choice, random
from time import sleep
from a dafruit_hcsr04 import HCSR04
sonar = HCSR04(t \text{ right} - p \text{ right} - D9, echo\_pi n =D6)kit = ServoKit (channel s = 8)
# s e t up mot or s and g e n o t y pe
" " "
PopGenotype=[[[-30, 0, 30, 0], [0, 0, -30, 0], [0, 0, 0, 0], [30, 0
                                           , 30 , 30 ] , [ 30 , 0 , 30 , 0 ] , [ 0 , 0 ,
                                            - 30 , 0 ] ] , [ [ 30 , 0 , 0 , 0 ] , [ 0 , 30
                                           , 0 , - 30 ] , [ 0 , 0 , 0 , 0 ] , [ 0 , 0 ,
                                          30 , 0 ] , [ 30 , 0 , - 30 , - 30 ] , [ 30 , 0
                                           , 0 , - 30 ] ] , [ [ 0 , 0 , 0 , 0 ] , [ 0 , 0 ,
                                            30 , 0 ] , [ 0 , 0 , 30 , 0 ] , [ 0 , 30 , 0
                                          , - 30 ] , [ 0 , 0 , - 30 , 0 ] , [ 0 , 0 , 0 ,
                                            - 30 ] ] ]
PopGenot ype = 1pops i z e =3
for i in range(popsize): #population size 10
     PopGenotype. append([[choice([0, 30, -30, 0, 0]) for x in range(4)]
                                               for i i in range(6) ] ) \#n stepsas max
" " "
de f ge t Di s t ( ) : # ge t t he di s t ane r e adi ng
     di s t =None
     whi l e di s t ==None : # ge t nume r i c v al ue
         t r y :
               di s t = s onar . di s t ance
         except Runtime Error: #do not return error
               pa s s
     r et ur n i nt (dist)
def move (angles):
     for i, ang in enumerate(angles): #move the servos by the given
                                                angl e s
          if \operatorname{kit}. servo[i]. angle+ang>=0 and \operatorname{kit}. servo[i]. angle+ang<=
                                                     180 : # v al i dat e t he c hange
```

```
i s in range
                    kit.servo[i].angle+=ang #set each servo to change
                    sleep(0, 2) #prevent over current draw
       sleep(1) #give time to rest
def st(): #move all servors to the given angles
       kit. servo[0]. angle=90 #set servo angle
       kit. servo\begin{bmatrix} 1 \\ 1 \end{bmatrix}. angle=100 #set servo angle
      kit. servo[2]. angle=140 #set servo angle
       kit.servo\lceil 3 \rceil.angle=110 #set servo angle
def mutate (geno, rate = 0.2): #mutate the genotype with the given rate
       for i in range(len(geno)):
             if random() < rate: \#if rate% chance
                     pos = geno[i]n2 = r andint (0, 1 en(pos) - 1) # mut at e again
                    c = [0, 30, -30, 0, 0]c. r e move (pos[n2])
                    pos[n2]=choice(c) #unique
                    geno[i] = pos.copy()return geno #return mutated
for z in range(10): #loop through the sample size of rates (10% 20
                                                           \% \ldots, N\%1 as t Fi t ness = 0
       PopCe not ype = [[[-30, 0, 30, 0], [0, 0, -30, 0], [0, 0, 0, 0], [30, 0, 30, 30], [30, 0, 30, 0]\begin{bmatrix} 1 \\ 1 \end{bmatrix}, \begin{bmatrix} 0 \\ 0 \end{bmatrix}, \begin{bmatrix} -30 \\ 0 \end{bmatrix}, \begin{bmatrix} 0 \\ 1 \end{bmatrix}, \begin{bmatrix} 30 \\ 0 \end{bmatrix}[0, 0], [0, 30, 0, -30], [0, 0]\begin{bmatrix} 0 & 0 \\ 0 & -30 \\ 0 & 0 \end{bmatrix}, \begin{bmatrix} 0 & 0 \\ 30 & 0 \\ 0 & 0 \end{bmatrix}, \begin{bmatrix} 30 \\ 30 \\ 0 \\ 0 & 0 \end{bmatrix}<br>
\begin{bmatrix} 30 & 0 \\ 0 & 0 \\ 0 & 30 \end{bmatrix}<br>
\begin{bmatrix} 1 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}, \begin{bmatrix} 0 & 0 & 30 \\ 0 & 0 & 30 \\ 0 & 0 & 0 \end{bmatrix}[0, 0, 0, 30, 0], [0, 30, 0,\begin{bmatrix} 0, & 0, & -30, & 0 \end{bmatrix}, \begin{bmatrix} 0, & 0, & 0, & 0 \end{bmatrix}, \begin{bmatrix} 0, & 0, & 0, & 0 \end{bmatrix}, \begin{bmatrix} 0, & 0, & 0, & 0 \end{bmatrix}, \begin{bmatrix} 0, & 0, & 0, & 0 \end{bmatrix}, \begin{bmatrix} 0, & 0, & 0, & 0 \end{bmatrix}, \begin{bmatrix} 0, & 0, & 0, & 0 \end{bmatrix}, \begin{bmatrix} 0, & 0, & 0, & 0 \end{bmatrix}, \begin{bmatrix} 0, & 30, 0, -30, [0, 0, -30, 0],
                                                                  \begin{bmatrix} 0, & 30, & 0, & -30 \end{bmatrix}for i in range (15): #total of 15 generations
                    print ("Generation", i+1)
                     \overline{\mathbf{st}} ()
                     sleep(2) #time to reset if fallen over
                     dist No 1 = get Dist () # st art dist
                     n1 =randint (0, popsize-1) #gather the population samples
                     n2 = r andi nt (0, popsi ze - 1)
                     curr rent = PopGenot ype [n1]. copy()
                    current = mut at e (current, rat e = (z+1)/10)
                     for step in current: #move motors by each position
                                                                                specified in genotype
                            move(step)cd1=getDist() #get the new distance
                     curr r ent =PopGenot ype [n2]. copy()
                     current = mut at e (current, rat e = (z+1)/10)
```

```
st() #reset to start position to fairly test the next
                                             generation
        sleep(2) #time to reset if fallen over
        di st No 2 = get Di st () # st art di st
        for step in current: #move motors by each position
                                             specified in genotype
             move(step)cd2 = get D is t() # get the new distanceprint (max(distNo1-cd1,distNo2-cd2))
        if dist No1-cd1>dist No2-cd2: #tournament selection
             PopGenot ype [n2] = PopGenot ype [n1]. copy()
        else:
             PopGenot ype [n1] = PopGenot ype [n2]. copy()
print ((z+1) * 10) #show console what is going on
```